



INDIAN SCHOOL AL WADI AL KABIR

Pre-Mid-Term Examination (2024-25)

Class: X

Sub: MATHEMATICS (041)

Max Marks: 30

Date: 28 - 05 - 2024

Time: 1 hour

Marking Scheme

Section A (1 mark each)								
Q.1.	If α and β are the zeros of a polynomial $f(x) = px^2 - 2x + 3p$ and $\alpha + \beta = \alpha\beta$, then p is:							
	A	$-\frac{2}{3}$	B	$\frac{2}{3}$	C	$\frac{1}{3}$	D	$-\frac{1}{3}$
Q.2.	Given that $HCF(120, 160) = 40$, find the LCM (120, 160).							
	A	480	B	280	C	48	D	28
Q.3.	The pair of equations $x + 2y + 5 = 0$ and $3x - 6y + 1 = 0$ have:							
	A	infinitely many solutions	B	exactly two solutions	C	unique solution	D	no solution
Q.4.	Let a and b be two positive integers such that $a = p^3q^4$ and $b = p^2q^3$, where p and q are prime numbers. If $HCF(a,b) = p^m q^n$ and $LCM(a,b) = p^r q^s$, then $(m+n)(r+s)$ equals:							
	A	15	B	30	C	35	D	72
Q.5.	The pair of equations $x = a$ and $y = b$ graphically represents lines which are:							
	A	parallel	B	intersecting at (b, a)	C	coincident	D	intersecting at (a, b)
Q.6.	The quadratic polynomial $p(x)$ with -24 as the product of its zeroes and 4 as one of its zeroes is:							
	A	$x^2 - 2x - 24$	B	$x^2 + 2x - 24$	C	$x^2 + 2x + 24$	D	$x^2 - 4x - 24$

Q.7.	(b) Both Assertion (A) and Reason (R) are true and Reason (R) is not the correct explanation of Assertion (A) .	1m
Section B (2 marks each)		
Q.8.	$p(x) = 4x^2 - 15x + 9$ sum= -15, product = 36 $4x^2 - 12x - 3x + 9 = 4x(x - 3) - 3(x - 3)$ $= (x - 3)(4x - 3)$ $(x - 3)(4x - 3) = 0$ $x - 3 = 0, x = 3$ $4x - 3 = 0, x = \frac{3}{4}$	<div>1/2m</div> <div>1/2m</div> <div>1/2m</div> <div>1/2 m</div>
Q.9.	$32x + 33y = 34$(i) $33x + 32y = 31$ (ii) Adding the equations, $65x + 65y = 65$, $x + y = 1$...(iii) Subtracting the equations, $x - y = -3$(iv) Solving (iii) and (iv), $2x = -2$, $x = -1$, $y = 2$	<div>1m</div> <div>1/2m</div> <div>1/2m</div>
Q.10.	<p>If the number 6^n, for any n, were to end with the digit zero,</p> <p>the prime factorisation of 6^n would contain both the primes 2 and 5.</p> <p>This is not possible because $6^n = (2 \times 3)^n$;</p> <p>So the only primes in the factorisation of 6^n is 2 and 3 and not 5.</p> <p>The uniqueness of the Fundamental Theorem of Arithmetic guarantees that there are no other primes in the factorisation of 6^n. So, there is no natural number n for which 6^n ends with the digit zero.</p>	<div>1/2m</div> <div>1/2m</div> <div>1/2m</div> <div>(½ m)</div>

OR

$$\text{LCM}(25, 40, 60)$$

$$25 = 5^2$$

$$40 = 2^3 \times 5$$

$$60 = 2^2 \times 3 \times 5$$

$$\text{LCM}(25, 40, 60) = 2^3 \times 5^2 \times 3 = 600$$

$$\text{Smallest number} = 600 + 7 = 607$$

1/2m

1m

1/2m

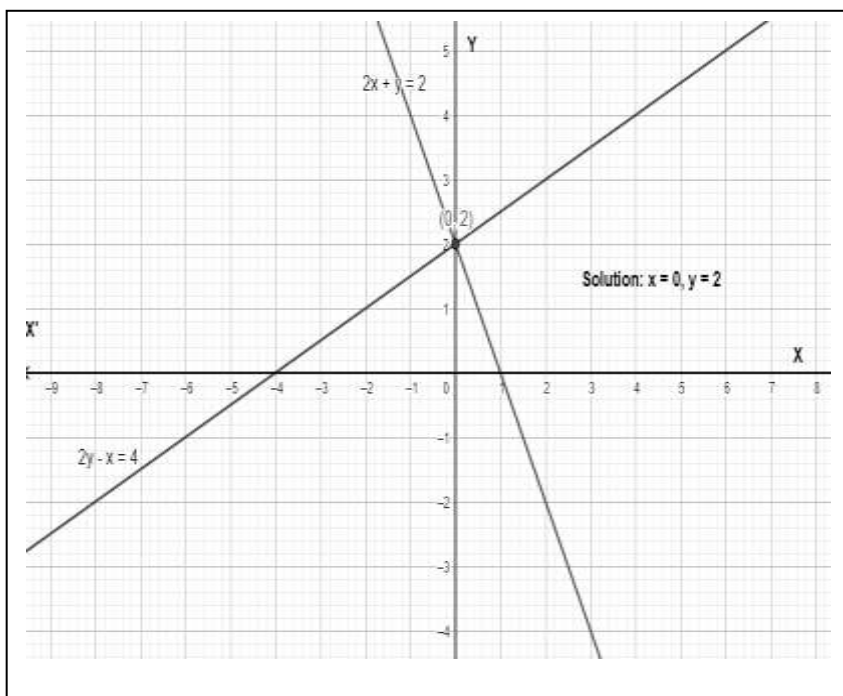
Section C (3 marks each)

Q.11.

Drawing correct graphs

$(2 \frac{1}{2} \text{ m})$

Solution(1/2 m)



Q.12.

Let $5 + 2\sqrt{3}$ be rational.

$5 + 2\sqrt{3} = \frac{a}{b}$, a and b are coprime and $b \neq 0$

(1/2m)

(1/2m)

	$2\sqrt{3} = \frac{a}{b} - 5$ $\sqrt{3} = \left(\frac{a}{b} - 5\right) \times \frac{1}{2}$ <p>LHS = rational, RHS = irrational, LHS \neq RHS</p> <p>Our assumption $5 + 2\sqrt{3}$ be rational is not correct.</p> <p>Therefore $5 + 2\sqrt{3}$ is irrational.</p> <p style="text-align: center;">OR.</p> $18180 = 2^2 \times 3^2 \times 5 \times 101$ $7575 = 3 \times 5^2 \times 101$ $\text{LCM}(18180, 7575) = 90900$ $\text{HCF}(18180, 7575) = 1515$	<div>(1/2m)</div> <div>(1/2m)</div> <div>(1/2 m)</div> <div>(1/2 m))</div> <div>(1m)</div> <div>(1 m)</div> <div>(1/2 m)</div> <div>(1/2 m))</div>
Q.13.	<p>Let Father's age be x yrs and son's age be y yrs.</p> $x = 6y \dots (i)$ $x + 4 = 4(y + 4)$ $x + 4 = 4y + 16$ $x - 4y = 12 \dots (ii)$ <p>Solving (i) and (ii),</p> $y = 6 \text{ and } x = 36$ <p>The age of son is 6 years and that of father is 36 years.</p>	<div>(1/2 m)</div> <div>(1/2 m)</div> <div>(1/2 m)</div> <div>(1/2 m)</div> <div>(1/2 m)</div> <div>(1/2 m)</div> <div>(1/2 m)</div>
Section D (4 marks each)		
Q.14.	<p>(i) 2 zeroes.</p> <p>(ii) $p(x) = x^2 - 2x - 3$</p> <p>(iii) (a) Sum of the zeroes = $-1 = -(a + 1)$</p> <p style="text-align: center;">$a = 0$</p> <p style="text-align: center;">Product of the zeroes = $b = -6$</p>	<div>(1m)</div> <div>(1m)</div> <div>(1/2m)</div> <div>(1/2m)</div> <div>(1m)</div>

	$a = 0, b = -6$ <p style="text-align: center;">OR</p> <p>(b) Let $p(x) = x^2 - 2x - (7p + 3)$ $p(-4) = 0$ $(-4)^2 - 2 \times (-4) - 7p - 3 = 0$ (1/2m) $16 + 8 - 7p - 3 = 0$ $21 = 7p$ $p = 3$ (1/2m) Let the other zero be q. $-4 + q = 2$ (1/2 m) $q = 6$ (1/2 m)</p>
	<p>(i) 3 (1m) (ii) $2^2 \times 3 \times 5 \times 7$. (1m) (iii) HCF(130, 420) $130 = 2 \times 5 \times 13$ (1/2m) $420 = 2^2 \times 3 \times 5 \times 7$ (1/2m) HCF(130, 420) = 10 (1m) Maximum number of burfis is 10 .</p> <p style="text-align: center;">OR</p> <p>HCF(130, 420) = 10 (1 1/2m) No. of stacks needed for Kaju burfis = $\frac{420}{10} = 42$ No. of stacks needed for Badam burfis = $\frac{130}{10} = 13$ (1/2m)</p>